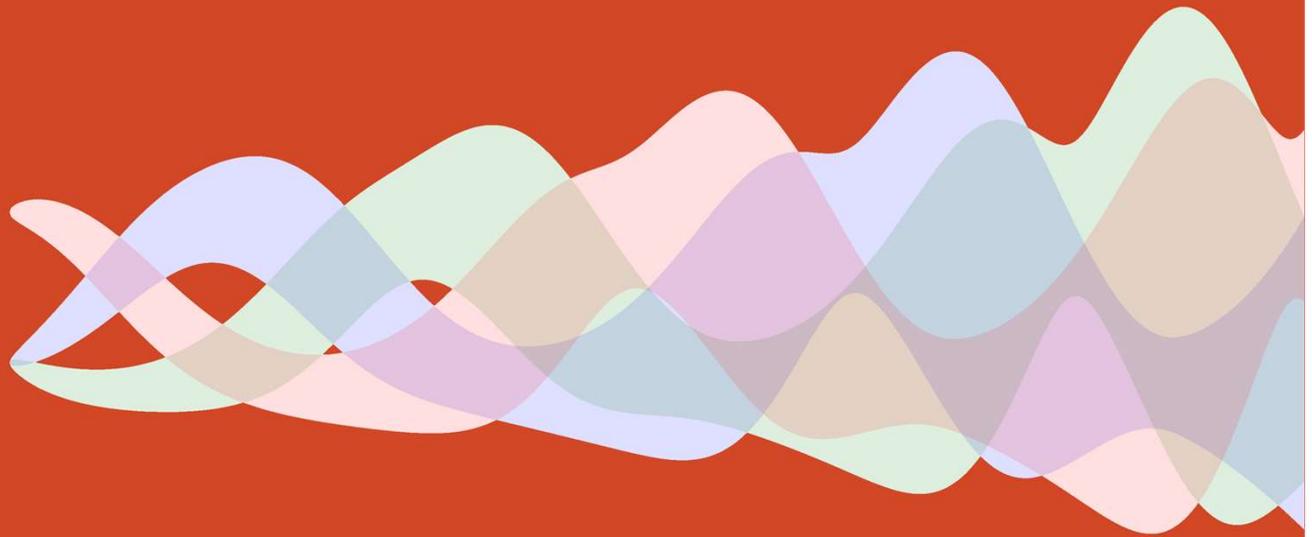


Kaemika User Manual



Installation

-  macOS <https://apps.apple.com/us/app/kaemika/id1493299038?mt=12>
-  iOS <https://apps.apple.com/app/id1491803017>
-  Android https://play.google.com/store/apps/details?id=com.kaemika.Kaemika&hl=en_GB
-  Windows <https://www.microsoft.com/en-us/p/kaemika/9n258rnwv8pr?activetab=pivot:overviewtab>

Sources

-  GitHub <https://github.com/luca-cardelli/KaemikaXM>
(installation from GitHub is not supported)

Panels and Menus

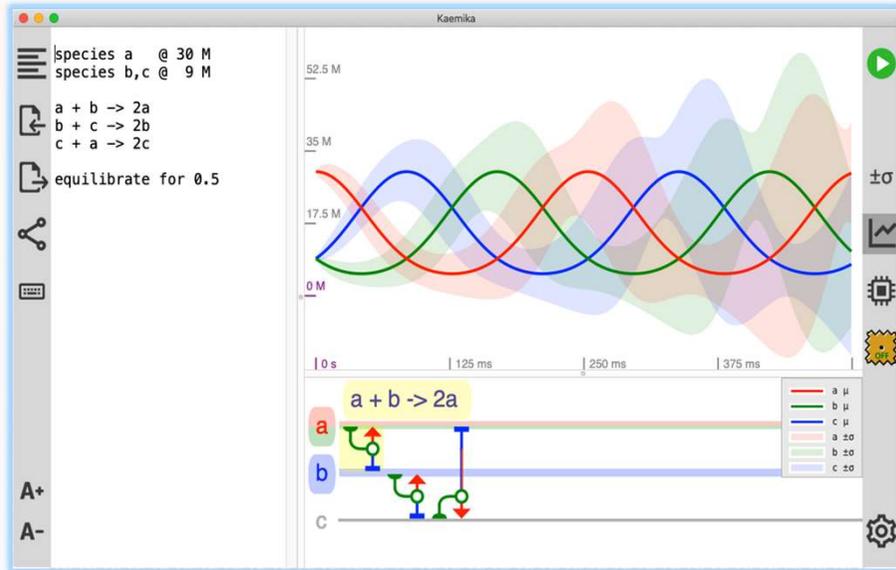
The screenshot shows the Koenmika software interface with several panels and menus annotated with callouts:

- Script panel:** Contains a text editor with a default script titled "Start Here". The script defines species a, b, and c, and reactions: $a + b \rightarrow 2a$ (10), $b + c \rightarrow 2b$ (100), and $c + a \rightarrow 2c$ (100). It also includes a plot command: `report a, b, c, 2*b-a, sin(time)/30`.
- Graph panel:** Displays a time-series plot of species concentrations (a, b, c) and a reaction network diagram. The plot shows oscillatory behavior. The reaction network diagram shows species a, b, and c with their respective reactions.
- Output panel:** Contains a "Computed Output" panel with options to show reaction score, initial CRN, evaluation, chemical trace, reactions, equations, stoichiometry, and protocol. It also has a "Settings" panel with options for reaction score, ODE solvers (RK547M, GearBDF), LNA, and precompute drift.
- Menus:**
 - Tutorials and docs:** A menu with various options like "Start Here", "Differential Equations", "Reaction", etc.
 - Save file:** A button to save the current script.
 - Load file:** A button to load a saved script.
 - Export:** A button to export the current script or results.
 - Characters:** A button to insert special characters.
 - Parameters panel (when needed):** A button to access the parameter settings.
 - Change font size:** A button to adjust the font size of the text in the script panel.
- Buttons:**
 - Play button:** A green play button to start the simulation.
 - Stop button (when needed):** A red stop button to stop the simulation.
 - LNA options:** A button to access the Linear Noise Approximation (LNA) options.
 - Legend:** A button to view the legend for the graph panel.
 - Output choice:** A button to choose the output format.
 - Microfluidics panel:** A button to access the microfluidics panel.
 - Settings:** A gear icon button to access the settings.
- Other features:**
 - Resize panels:** A callout indicating that the panels can be resized.
 - Resize window:** A callout indicating that the window can be resized.

Windows version

Main interface view: showing the default script "Start Here" and its output after the app is first opened and the play button is pressed.

Panels and Menus



macOS version

Functionally identical to the Windows version.



Android/iOS versions

Nearly identical functionality to Win/Mac, but arranged in 5 pages directly accessible from the bottom tabs:

- Tutorial (built-in scripts and docs)
- Files (user scripts repository)
- Edit (script editor)
- Output (Graph&Text Output and Export Menu)
- Chart (Plots and Legends, and Microfluidics)

Choice of ODE solvers

Graphical output is touch-enabled

- 1-finger tap: select or activate
- 1-finger double-tap: activate
- 1-finger drag: move
- 2-finger tap: reset pan and zoom
- 2-finger drag: pan
- 2-finger pinch: zoom

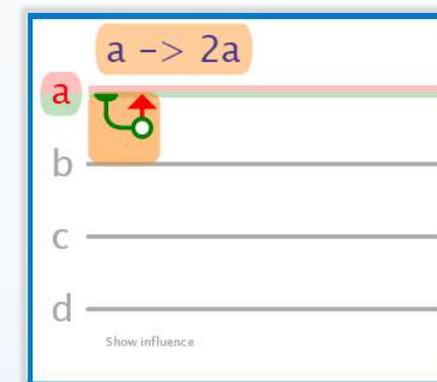
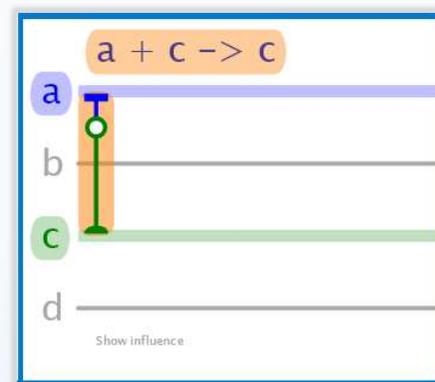
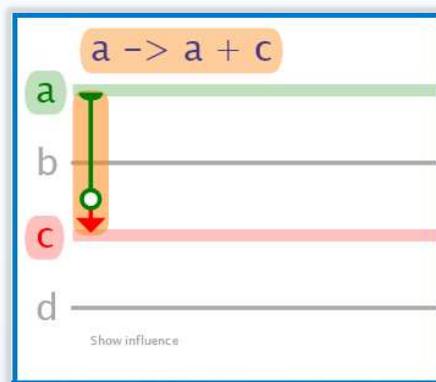
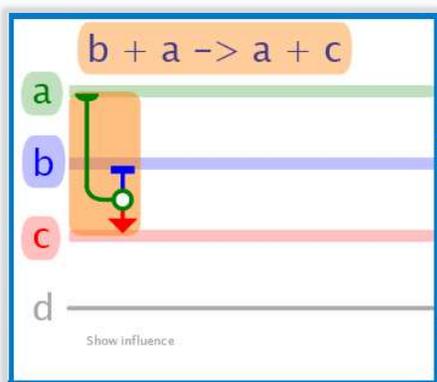
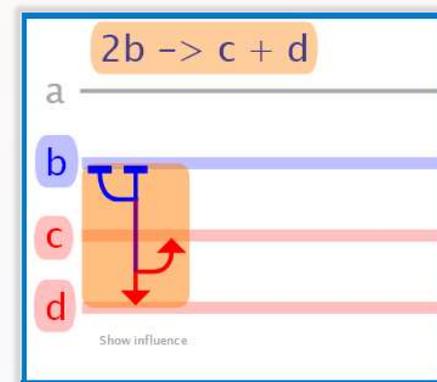
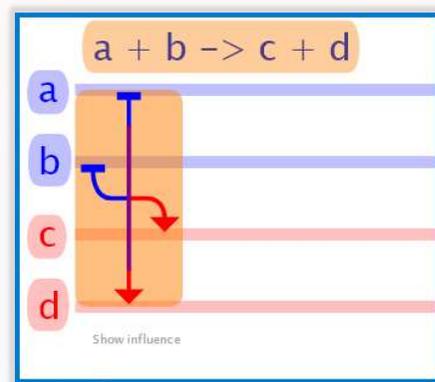
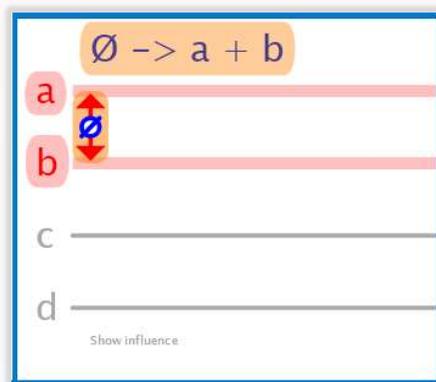
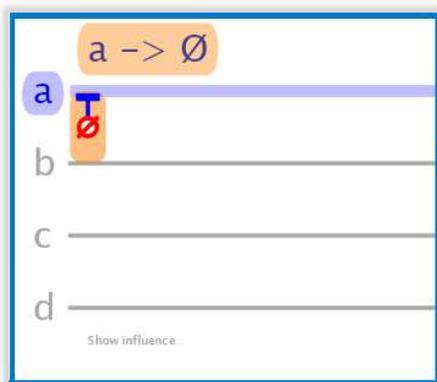


LNA options

Reaction score (graphical representation of reaction network) examples

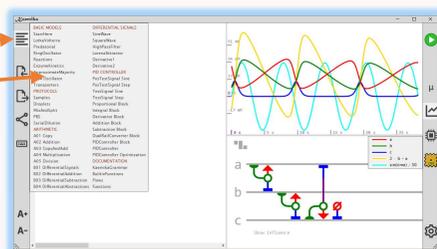
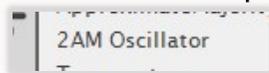
Horizontal lines: *species*. Vertical stripes: *reactions*.

Blue: reagents. Red: products. Green: catalysts.



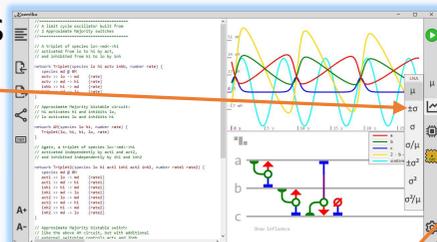
Operation: Chemical reaction network simulation

1. Select a script

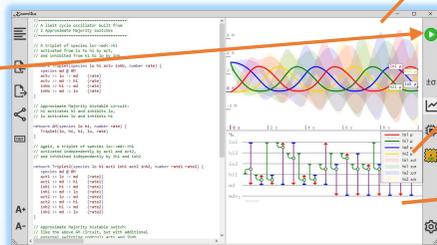


2. Select simulation options

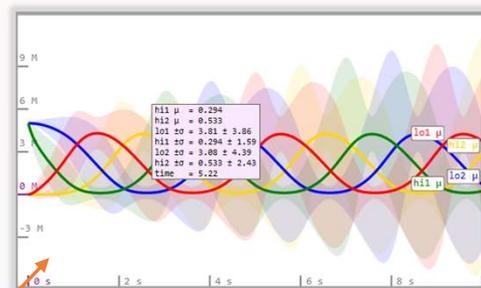
(stochastic LNA, $\pm\sigma$)



3. Press the Play button



4. Results:



Simulation plot
(mean \pm standard deviation)



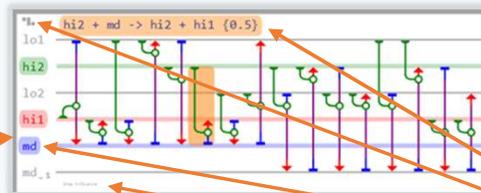
Hovering on trajectories reveals values.
Hovering on species tags reveals ODEs.
Pan&Zoom: mouse(Win/macOS) or touch(Android/iOS)



Legend



Click to hide/unhide plot trajectories.
Shift-click to focus on a single trajectory.
Shift-click such a single trajectory to unfocus it.



Reaction score



Graphical representation of the generated chemical reactions, as a directed multigraph

Hovering reveals reaction text.
Bin-packing.
Drag species tags to reorder them.
Highlight reaction relationships while hovering.

Other outputs from the Computed Output menu

Show initial CRN

A self-contained summary of initial conditions, reactions, and ODEs generated by the input script.

Further details are in

Show reactions/equations/stoichiometry

especially for multi-stage simulations (protocols).

Show evaluation

List of entities defined by input script evaluation, and any computational results.

Show chemical trace

Chemical events that occurred during evaluation.

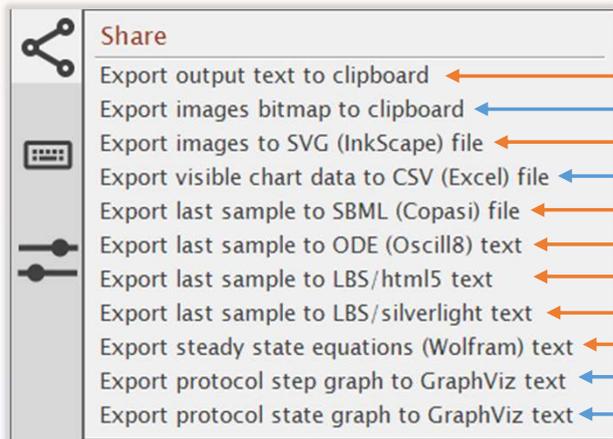
Show protocol

Protocol events that occurred during evaluation.

The screenshot shows the Computed Output menu with 'Show initial CRN' selected. The main window displays the initial conditions and reactions for a simulation. The initial conditions are: $lo1 = 0 M$, $hi2 = 0 M$, $lo2 = 5 M$, $hi1 = 5 M$, $md = 0 M$, and $md_{\nu_1} = 0 M$. The reactions are: $hi1 + lo1 \rightarrow hi1 + md$, $hi1 + md \rightarrow 2hi1$, $lo1 + hi1 \rightarrow lo1 + md$, $lo1 + md \rightarrow 2lo1$, $hi2 + lo1 \rightarrow hi2 + md \{0.5\}$, $hi2 + md \rightarrow hi2 + hi1 \{0.5\}$, $lo2 + hi1 \rightarrow lo2 + md \{0.5\}$, $lo2 + md \rightarrow lo2 + lo1 \{0.5\}$, $hi2 + lo2 \rightarrow hi2 + md_{\nu_1}$, $hi2 + md_{\nu_1} \rightarrow 2hi2$, $lo2 + hi2 \rightarrow lo2 + md_{\nu_1}$, $lo2 + md_{\nu_1} \rightarrow 2lo2$, $lo1 + lo2 \rightarrow lo1 + md_{\nu_1} \{0.5\}$, $lo1 + md_{\nu_1} \rightarrow lo1 + hi2 \{0.5\}$, $hi1 + hi2 \rightarrow hi1 + md_{\nu_1} \{0.5\}$, and $hi1 + md_{\nu_1} \rightarrow hi1 + lo2 \{0.5\}$. The ODEs are: $\partial lo1 = -hi1 \cdot lo1 - 0.5 \cdot hi2 \cdot lo1 + lo1 \cdot md + 0.5$, $\partial hi2 = -0.5 \cdot hi1 \cdot hi2 - hi2 \cdot lo2 + hi2 \cdot md_{\nu_1} + 0.5$, $\partial lo2 = 0.5 \cdot hi1 \cdot md_{\nu_1} - hi2 \cdot lo2 - 0.5 \cdot lo1 \cdot lo2$, $\partial hi1 = -hi1 \cdot lo1 - 0.5 \cdot hi1 \cdot lo2 + hi1 \cdot md + 0.5 \cdot hi2 \cdot md$, $\partial md = 2 \cdot hi1 \cdot lo1 + 0.5 \cdot hi1 \cdot lo2 + 0.5 \cdot hi2 \cdot lo1 - hi1 \cdot md - 0.5 \cdot hi2 \cdot md - lo1 \cdot md - 0.5 \cdot lo2 \cdot md$, and $\partial md_{\nu_1} = 0.5 \cdot hi1 \cdot hi2 - 0.5 \cdot hi1 \cdot md_{\nu_1} + 2 \cdot hi2 \cdot lo2 + 0.5 \cdot lo1 \cdot lo2 - hi2 \cdot md_{\nu_1} - 0.5 \cdot lo1 \cdot md_{\nu_1} - lo2 \cdot md_{\nu_1}$. The elapsed time is 0.0961524s.

The screenshot shows the Computed Output menu with 'Show evaluation' selected. The main window displays the network definition and the elapsed time. The network definition is: `network Triplet(species lo, species hi, species actv, species inhb) {...}`, `network AM(species lo, species hi, number rate) {...}`, `network Triplet2(species lo, species hi, species act1, species inh) act2, species inh2, number rate1, number rate2) {...}`, `network AM2(species lo, species hi, species actv, species inhb, number rate2) {...}`, and `network AMOscillator() {...}`. The elapsed time is 0.0961524s.

Export



Use the system clipboard to export (and import) any **text**.

All graphics can be exported as **bitmaps** to the clipboard.

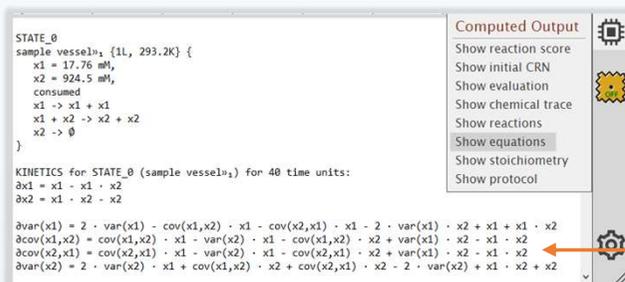
All graphics can be exported to file in resolution independent **Scalable Vector Graphics** format, for help with publication.

Simulation data, as filtered by the Legend, can be exported to file in **Comma-Separated Values** .csv format.

CRNs and ODEs can be exported to **SBML** and some other tools, and anyway they can be copied out as text and adapted as needed. Applies to the last simulated sample.

Protocol graphs can be exported in textual **GraphViz** format. (They are not graphically rendered in the Windows/MacOS version; they are graphically rendered in the iOS/Android version, and there they can be exported as text through the clipboard.)

In addition, the "Show equations" option in the "Computed output" menu generates (when LNA is enabled) the symbolic **LNA equations** for covariances, which can be analyzed in more appropriate tools such as Mathematica.



Saving, Loading, Editing scripts on Windows/MacOS

Directory

Right away, use the *Settings* icon on the bottom right to set a convenient default directory for your scripts.

Files

Start by selecting a script from the *Tutorial* menu. It's a copy, you can edit it.

Use the *Save* icon to save the current script through the standard system dialog.

Use the *Load* icon to load a script through the standard system dialog.

You can also cut and paste into the script window from the system clipboard.

The script

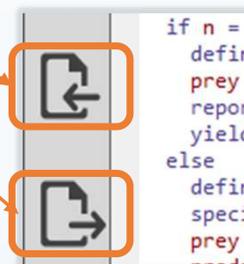
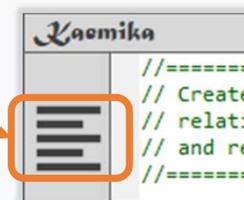
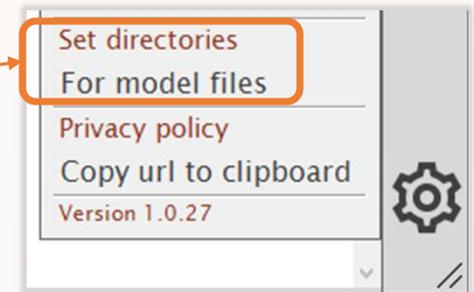
The "current script" does not have a name; all saves are "Save As".

There is no list of saved scripts other than what you manage yourself in your directory.

Changes are saved automatically, in the sense that the last script will be reloaded if you close (or crash) and reopen the app.

Backup

Set the default directory to your user space, to make sure that your scripts are not lost if the Kaemika app is updated or installed elsewhere.

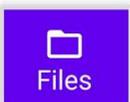


Saving, Loading, Editing scripts on Android/iOS



Tutorial tab (built-in scripts)

Click an *item* in the list to open it and auto-switch to the *Edit* tab. Then click the *Pencil* icon at the top to enable modifications. Modified tutorial scripts are automatically added to the *Files* tab.



Files tab (user scripts, initially empty)

Click an *item* in the list to open it and auto-switch to the *Edit* tab. **Android:** press-hold an *item* in the list to rename or delete it. **iOS:** swipe left an *item* in the list to rename or delete it. You can create a new script from the *Plus* button (top right).



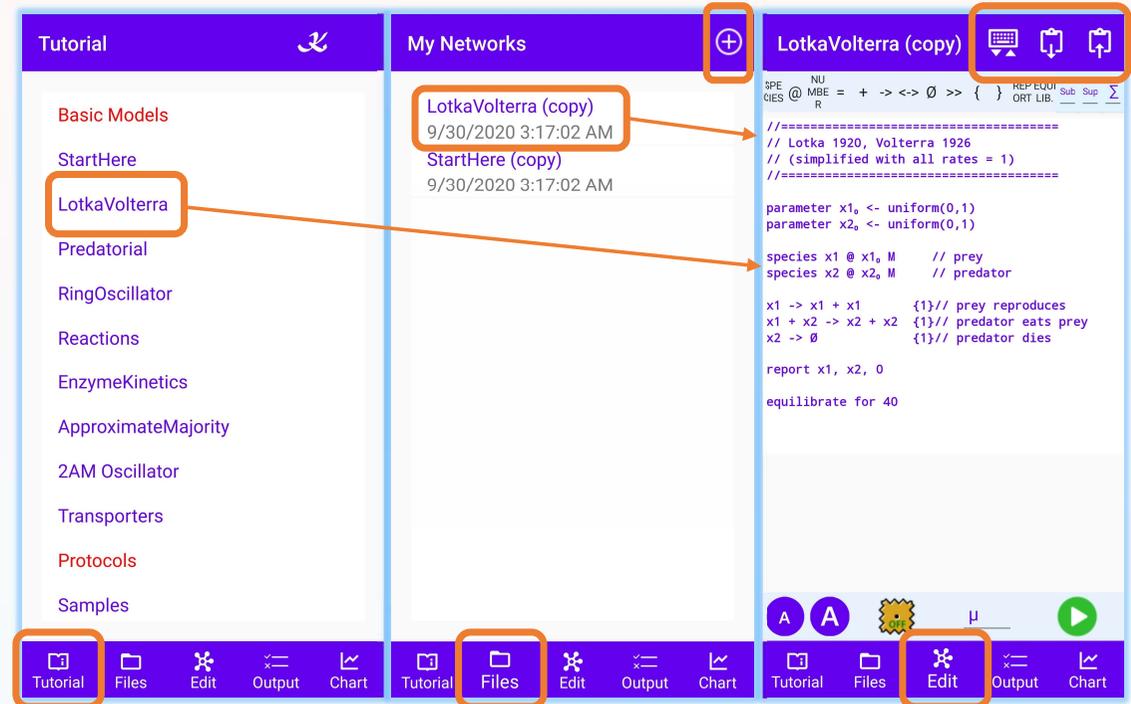
Edit tab (single-script editing)

If coming from *Tutorial*, click the *Pencil* icon at the top to enable editing. An additional tool bar at the top contains some common input strigs. Click the *Keyboard* icon to bring the system keyboard up or down, if needed. The clipboard icons at the top can be used to *Copy* the whole script to the system clipboard, or to *Paste* (overwrite) the whole script from the system clipboard (repeat *Paste* to **undo**).

Backup

Through the system clipboard, you can backup a script to any other app or storage system: the Kaemika app has no direct access to locations outside of its domain.

WARNING: the *Files* tab scripts may get erased if you reinstall or update Kaemika.



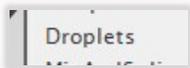
Undo text changes

iOS: shake the phone to undo; also, on iOS 13+ left-swipe with 3 fingers while the keyboard is up.

Android: the *Hacker's Keyboard* from the Play Store, which swaps in for the built-in keyboard, supports undo via Ctrl-Z, as well as Ctrl-X/C/V. There is no Android-wide way to undo text changes!

Operation: Digital microfluidics

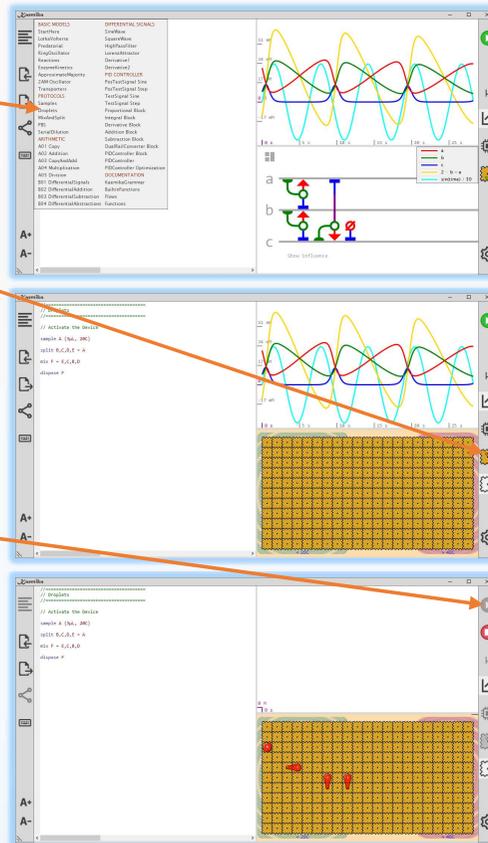
1. Select a script



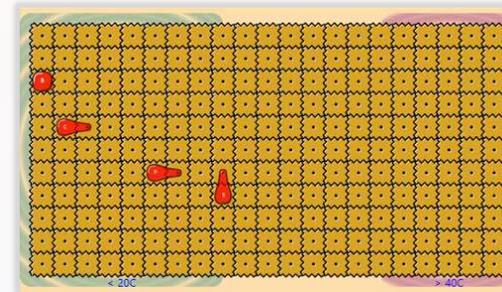
2. Activate microfluidics



3. Press the Play button



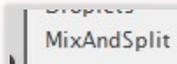
4. Results:



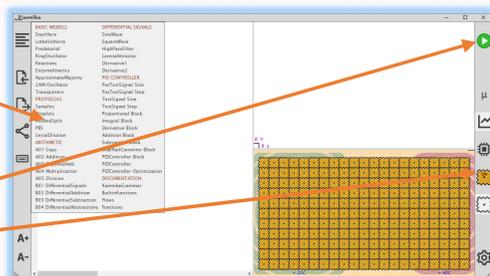
Droplets will split and merge according to the script, routing themselves to the right spots. But there is no chemistry in the Droplets script.

Operation: Mixed simulation and microfluidics protocol

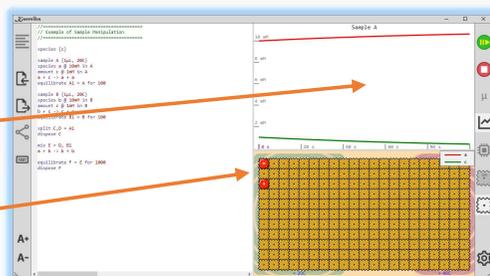
1. Select a script



2. Press the Play button (with microfluidics on)



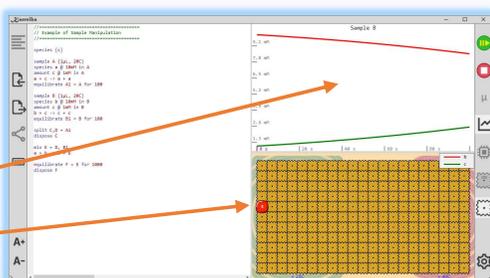
3. One droplets moves to a "warm" spot. It stops there, and a simulation runs. After that, it goes back home. A second droplet appears.



4. Press the (now paused) Play button



5. The second droplet moves, simulates, and then combines with the first one.



6. Press the (now paused) Play button

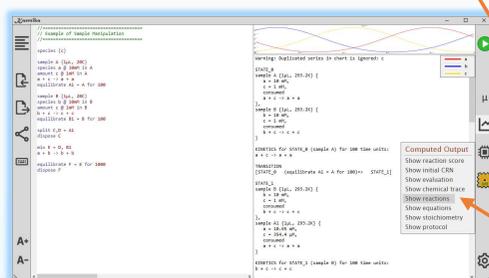
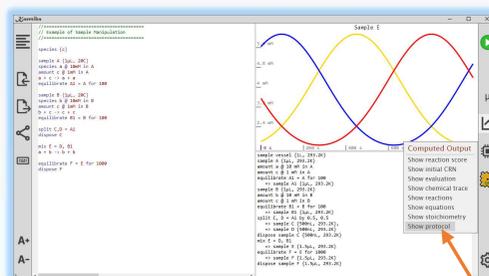
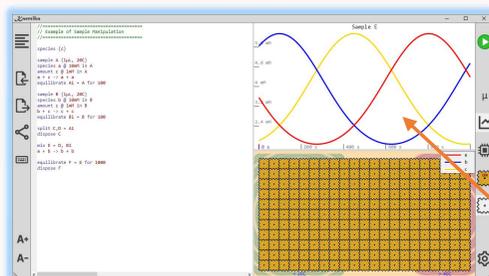


7. The combined droplet moves, simulates, and is recycled. This final simulation combines the reagents of the two initial droplets

8. Shift-click the Play button to do it again without pauses.



9. Turn off microfluidics. See a summary of the protocol steps in "Show protocol", and of the chemical kinetics in "Show reactions"



Predatorial

```

function Predatorial(number n) {
  if n = 0 then
    define species prey @ 1 M
    prey -> 2 prey
    report prey
    yield prey
  else
    define species predator @ 1/n M
    species prey = Predatorial(n-1)
    prey + predator -> {n} 2 predator
    predator -> ∅
    report predator
    yield predator
  end
}

```

```

species apexPredator = Predatorial(5)
equilibrate for 50

```

```

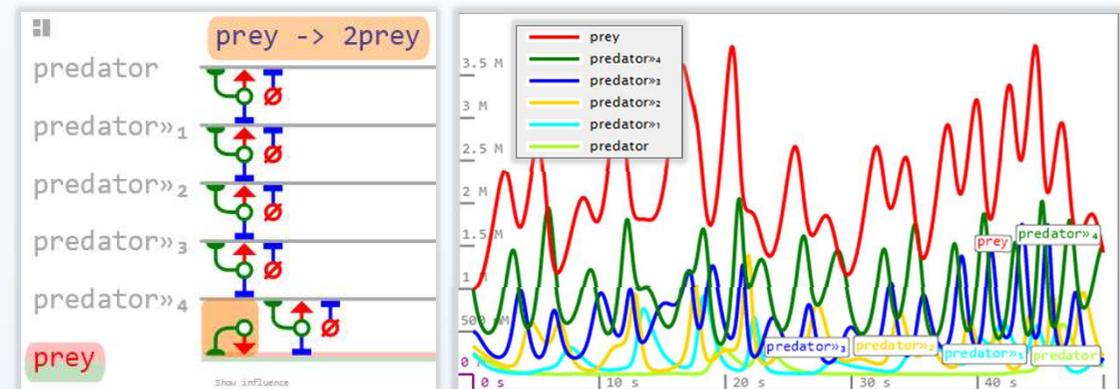
<- Make a stack of n predator-prey networks, each predator feeding on the next one
<- If n=0 there is only prey, no predators
<- Define and initialize the prey species
<- Chemical reaction: the prey reproduces
<- Report the prey for plotting
<- Return the prey species as the result of the function
<- Else if n>0
<- Define and initialize a predator species
<- Its prey is the result of Predatorial(n-1), the next species down the stack
<- Chemical reaction: predator eats prey and reproduces
<- Chemical reaction: predator dies (if it does not find prey quickly enough)
<- Report this predator species (there will be many) for plotting
<- Return the predator species as the result of the function

```

```

<- Make a stack of 5
<- Simulate

```



Basic Scripting

Literals, Functions, and Operators for base types

bool true | false | not b | b_1 and b_2 | b_1 or b_2 | $b_1 = b_2$ ^{equal} | $b_1 <> b_2$ ^{not equal}

number 0 | 1 | -2.3 | 4.5e-67 | ... | - n | $n_1 + n_2$ | $n_1 - n_2$ | $n_1 \cdot n_2$ | n_1 / n_2 | $n_1 \wedge n_2$ | $n_1 * n_2$ ^{ascii} \equiv $n_1 \cdot n_2$ ^{unicode}
 $n_1 = n_2$ | $n_1 <> n_2$ | $n_1 > n_2$ | $n_1 < n_2$ | $n_1 \geq n_2$ | $n_1 >= n_2$ | $\text{int}(n)$ ^{round to integer} | $\text{pos}(n)$ ^{round to non-negative real} |
 $\text{abs}(n)$ | $\text{arccos}(n)$ | $\text{arcsin}(n)$ | $\text{arctan}(n)$ | $\text{arctan2}(n_1, n_2)$ | $\text{ceiling}(n)$ | $\text{cos}(n)$ | $\text{cosh}(n)$ | $\text{exp}(n)$ | $\text{floor}(n)$ |
 $\text{log}(n)$ ^{base e} | $\text{max}(n_1, n_2)$ | $\text{min}(n_1, n_2)$ | $\text{sign}(n)$ | $\text{sin}(n)$ | $\text{sinh}(n)$ | $\text{sqrt}(n)$ | $\text{tan}(n)$ | $\text{tanh}(n)$ |
 pi | e | maxNumber | minNumber | positiveInfinity | negativeInfinity | NaN

string "" | "abc" | "de\fg\hi" ^{escape} | ... | $s_1 + s_2$ ^{concat} | $s()$ ^{length} | $s(n)$ ^{0-index} | $s(n_1, n_2)$ ^{substring start,length} | $\text{basename}(sp)$ ^{non- α -converted name of species as string} | $s_1 = s_2$ | $s_1 <> s_2$

list [] | [1, 2, 3] | [{"a","b"}, {"c","d"}] | ... | $l_1 ++ l_2$ ^{concat} | $l()$ ^{length} | $l(n)$ ^{0-index} | $l(n_1, n_2)$ ^{sublist start,length} | $l_1 = l_2$ | $l_1 <> l_2$ |
 $\text{map}(fun, l)$ | $\text{each}(net, l)$ | $\text{filter}(fun, l)$ | $\text{foldl}(fun, z, l)$ | $\text{foldr}(fun, z, l)$ | $\text{sort}(fun, l)$ | $\text{reverse}(l)$ | $\text{transpose}(l)$

species a | b | c | ... | $sp_1 = sp_2$ | $sp_1 <> sp_2$

function $\lambda()\{3\}$ | $\lambda(x)\{x\}$ | $\lambda(\text{number } n)\{n+1\}$ | $\lambda(\text{function } f)\{\text{define bool } b = f(0) > 0 \text{ yield } b\}$ | ... ^{ascii} $\text{fun} \equiv \lambda$ ^{unicode}

network $\eta()\{\text{species } s @ 3\text{mM}; s + s \rightarrow \emptyset\}$ | $\eta(\text{species } s)\{s \rightarrow \emptyset; \emptyset \rightarrow s + s\}$ | ... ^{ascii} $\# \equiv \emptyset$ ^{unicode} $\text{net} \equiv \eta$

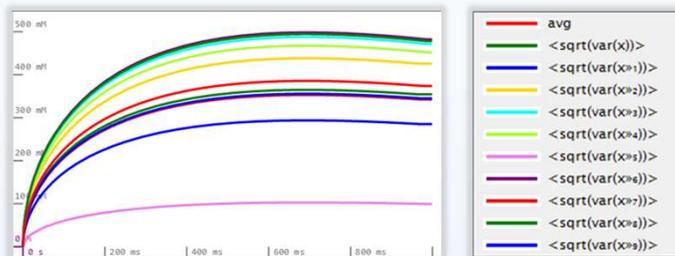
sample $\text{sample } A \{1\text{mL}, 20\text{C}\}$ ^{volume} ^{temperature} | $\text{mix } S_0 = S_1, \dots, S_k$ | $\text{split } S_1, \dots, S_k = S_0$ by n_1, \dots, n_k ^{proportions} | $\text{dispose } S_1, \dots, S_k$ |
 $\text{regulate } S_1, \dots, S_k$ to 25C ^{temperature} | $\text{concentrate } S_1, \dots, S_k$ to 2mL ^{volume} | $\text{equilibrate } S_1, \dots, S_k$ for 12 ^{seconds}

Averaging simulation runs

```
function run(number i) {
  define
  sample S
  number x0 = <-uniform(0,1)
  species x @ x0 M in S
  x -> ∅
  report y = sqrt(var(x)) in S
  equilibrate S for 1
  yield y
}
```

```
list L = draw 10 from run
```

```
report foldl(fun(a b){a+b}, 0, L)/10 as "avg"
each(net(f){report f}, L)
equilibrate for 1
```



```
<- Make a function to run one simulation (i is an iteration index)
<- define D yield E returns the value of E after executing the statements D
<- Make a new sample S to contain species and reactions for simulation
<- Draw an initial value x0 from a uniform distribution
<- Initialize a new species x to that value, and place it inside S
<- The reaction network for S (using just one reaction as an example)
<- report the s.d. sqrt(var(x)) of x into a timeflow y extracted from S
<- Simulate (and plot) sample S for 1 sec, with LNA enabled for var(x) to work
<- Return the timeflow y (i.e., the full trajectory of sqrt(var(x)))
```

```
<- Invoke run(i) for i = 0..9, making a list L of 10 (randomized) timeflows
  (Shift-click the Play button, or it will pause at every simulation!)
<- Fold* the average of the 10 timeflows from L into a new report, "avg"
<- report also each* of the 10 timeflows from earlier simulations
<- Run a final simulation to combine all the reports in a new plot
```

The 10 s.d. timeflows and their average can now be exported to file

***fun(..){..}** is a nameless function, **net(..){..}** is a nameless network (a function with no value)
 foldl and each are list iterators over functions and networks respectively

Local Sensitivity Analysis (of a Lotka-Volterra system)

```

function f(number r1 r2 r3) {
  define
    sample S
    species x1 @ 0.66 M in S
    species x2 @ 0.44 M in S
    x1 -> x1 + x1      {r1}
    x1 + x2 -> x2 + x2 {r2}
    x2 -> Ø            {r3}
    report t1 = x1, t2 = x2 in S
    equilibrate S for 20
    yield [t1, t2]
}

```

```

number d = 0.0001
[[t1, t2], [t1r1, t2r1], [t1r2, t2r2], [t1r3, t2r3]] =
[f(1,1,1), f(1+d, 1, 1), f(1, 1+d, 1), f(1, 1, 1+d)]

```

```

report t1 as "x1", t2 as "x2",
  abs((t1-t1r1)/d) as "x1r1", abs((t1-t1r2)/d) as "x1r2",
  abs((t1-t1r3)/d) as "x1r3", abs((t2-t2r1)/d) as "x2r1",
  abs((t2-t2r2)/d) as "x2r2", abs((t2-t2r3)/d) as "x2r3"
equilibrate for 20

```

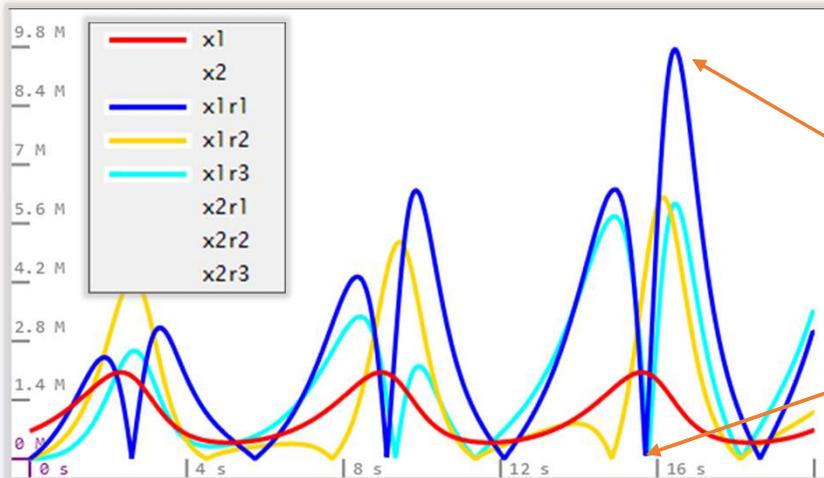
<- A function to run one simulation (r_i are the **input parameters** to be perturbed)
 <- define D yield E returns the value of E after executing the statements D
 <- Make a new sample S to contain species and reactions for simulation
 <- Lotka-Volterra prey species (initial conditions could be a parameter as well)
 <- Lotka-Volterra predator species (initial conditions could be a parameter as well)
 <- Prey x_1 reproduces, with rate r_1
 <- Predator x_2 eats prey, with rate r_2
 <- Predator dies, with rate r_3
 <- Report the *timeflow* (full trajectory) t_1 for x_1 , and t_2 for x_2
 <- Simulate the system: this will compute the timeflows t_1, t_2 (without plotting them)
 <- Return the **output timeflows** t_1, t_2 affected by the parameters r_1, r_2, r_3

<- Perturbation value
 <- Obtain a matrix of the 2 system outputs t_i and their 3 individual perturbations t_{irj}
 <- (Shift-click the Play button, or it will pause at every simulation!)

<- Prepare to report a plot of the **sensitivities** $\text{abs}((t_i - t_{irj})/d)$
 using the timeflows t_i, t_{irj} previously computed

<- Run a final simulation just to combine all the reports in a new plot

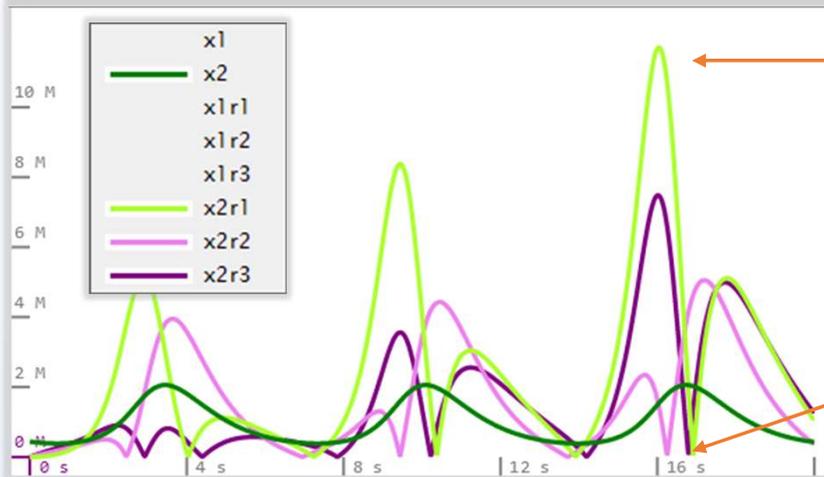
... continued



The plots show the instantaneous sensitivities of x_1, x_2 with respect to the rate parameter r_1, r_2, r_3 (separately), over the entire timecourse

x_1 is usually more sensitive to r_1 than to r_2, r_3

a point near the *peak* of x_1 is *not* sensitive to r_1 or r_3 and instead is most sensitive to r_2



x_2 is usually more sensitive to r_1 than to r_2, r_3 (and x_2 's peak sensitivity exceeds x_1 's)

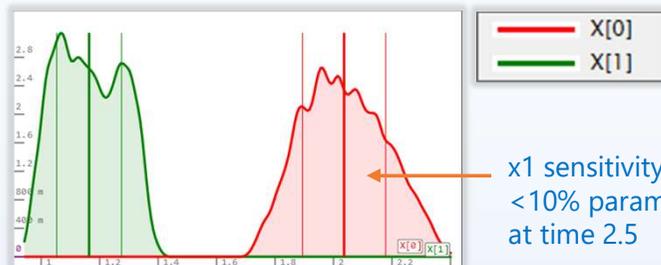
a point near the *peak* of x_2 is *not* sensitive to r_1 or r_3 and instead is most sensitive to r_2

Global Sensitivity Analysis (of a Lotka-Volterra system)

```
function f(number r1 r2 r3) {
  define
  sample S
  species x1 @ 0.66 M in S
  species x2 @ 0.44 M in S
  x1 -> x1 + x1      {r1}
  x1 + x2 -> x2 + x2 {r2}
  x2 -> Ø            {r3}
  equilibrate S for 2.5
  yield [observe(x1,S), observe(x2,S)]
}
```

```
random X(omega w) {
  f(1+(w(0)-0.5)/10, 1+(w(1)-0.5)/10, 1+(w(2)-0.5)/10)
}
```

draw 2000 from X



x1 sensitivity to random
<10% parameter variations
at time 2.5

- <- A function f to run one simulation (ri are the **input parameters** to be perturbed)
- <- define D yield E returns the value of E after executing the statements D
- <- Make a new sample S to contain species and reactions for simulation
- <- Lotka-Volterra prey species x1 (initial conditions could be a parameter as well)
- <- Lotka-Volterra predator species x2
- <- Prey reproduces, with perturbed rate r1
- <- Predator eats prey, with perturbed rate r2
- <- Predator dies, with perturbed rate r3
- <- Simulate the system up to time 2.5 (first peak of the oscillation)
- <- Return the **output concentrations** of x1,x2 from S at time 2.5 as pairs

- <- Create a bivariate random variable X over uniform[0..1) sample spaces w(i)
- <- producing random instances $f(1+e_1, 1+e_2, 1+e_3) = [x_1, x_2]_{e_1, e_2, e_3, t=2.5}$ with e_1, e_2, e_3 being 10% independent perturbations of the parameters

- <- Produce a density plot of 2000 instances drawn from X
i.e. a plot of the distributions of $X[0]=x_1$ and $X[1]=x_2$ at time 2.5
vertical bars are mean and standard deviation

N.B., consider also exporting your Kaemika model to SBML and use the Sobol' method of global sensitivity analysis in e.g. Copasi.